



*Defect Related Switching Field  
Reduction in Small Magnetic  
Particle Arrays*

Michael J. Donahue

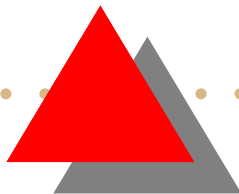
NIST, Gaithersburg, Maryland, USA

Gabor Vértesy

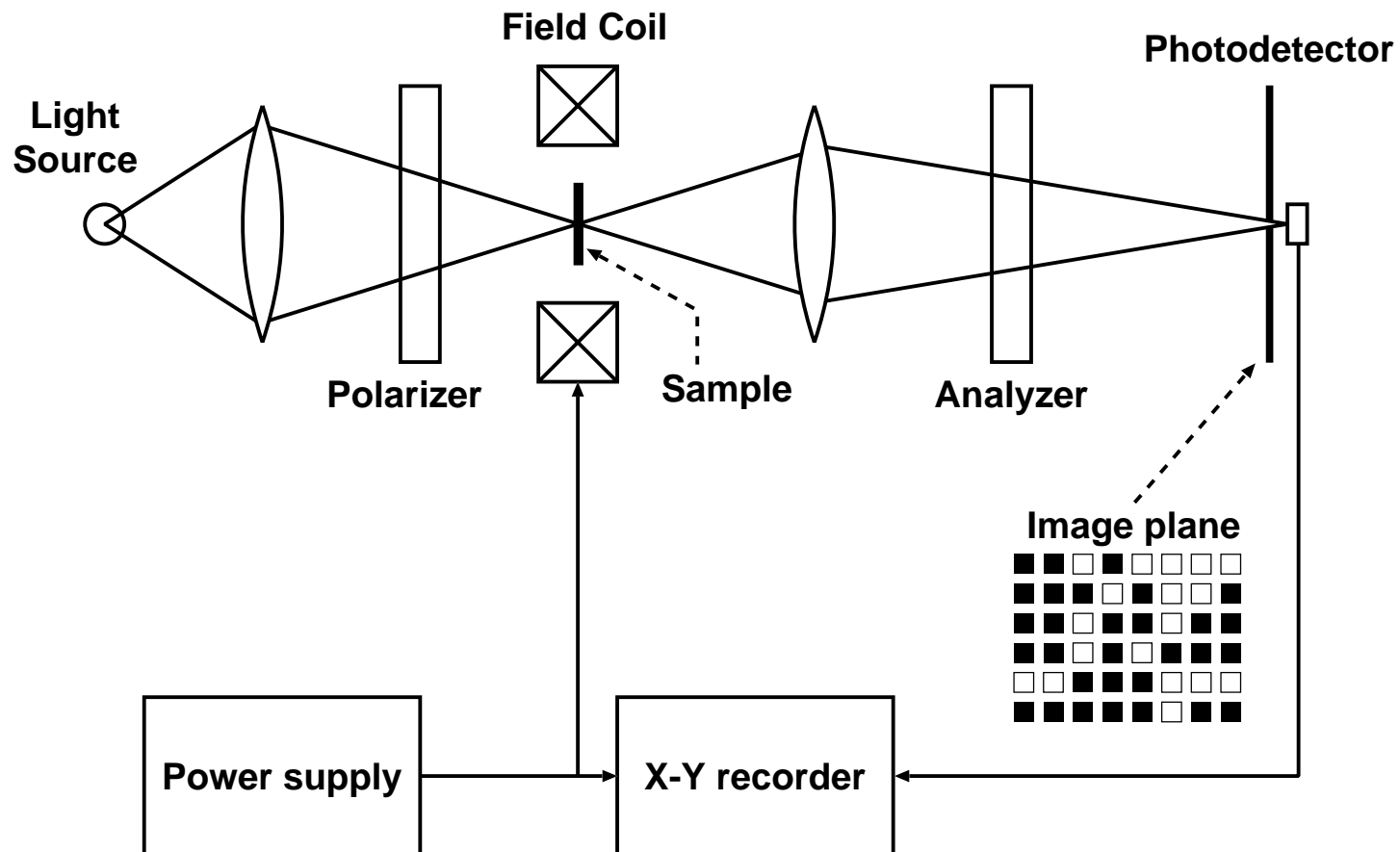
Hungarian Academy of Sciences, Budapest, Hungary

Martha Pardavi-Horvath

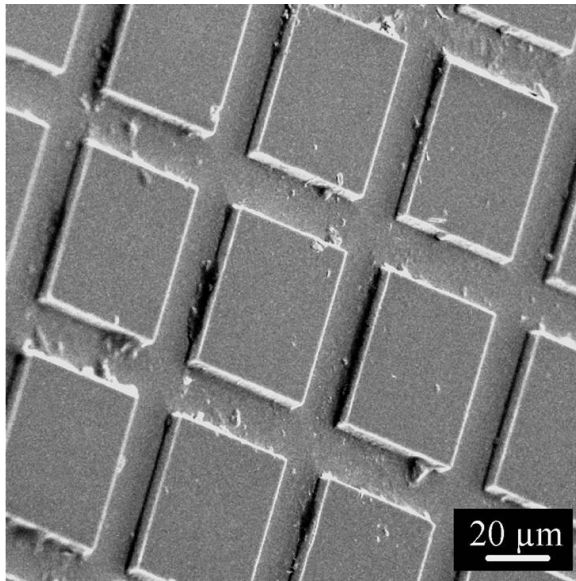
The George Washington University, Washington D.C., USA



# Optical magnetometer



# Sample system



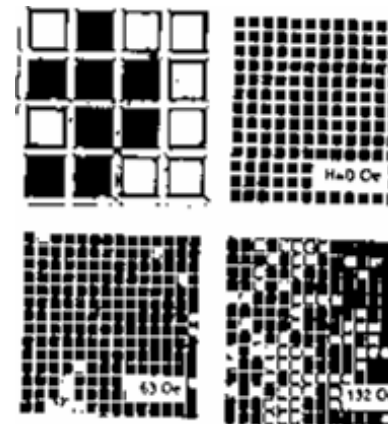
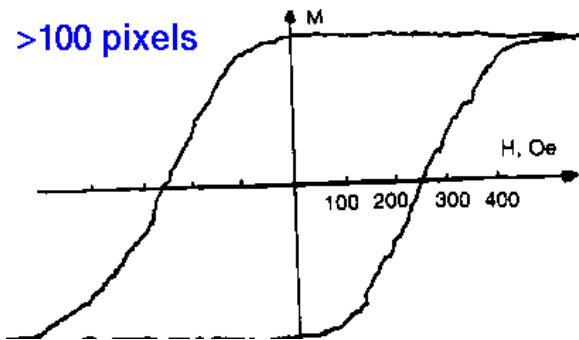
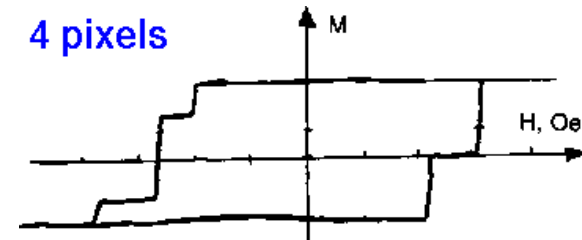
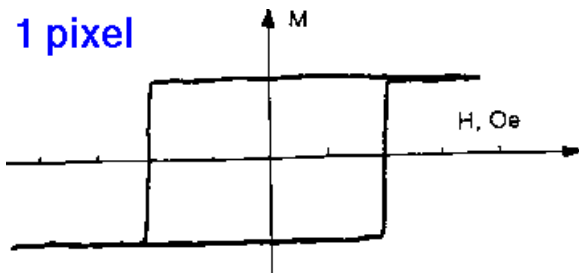
SEM photo: Zofia Vértesy,  
HAS, Budapest, Hungary

- Single crystal  $\text{Y}_3\text{Fe}_5\text{O}_{12}/\text{Gd}_3\text{Ga}_5\text{O}_{12}$
- $42 \mu\text{m} \times 42 \mu\text{m} \times 3 \mu\text{m}$  particles,  
12  $\mu\text{m}$  grooves, 1  $\text{cm}^2$  chips
- Strong uniaxial anisotropy,  
stable axis  $\perp$  to surface

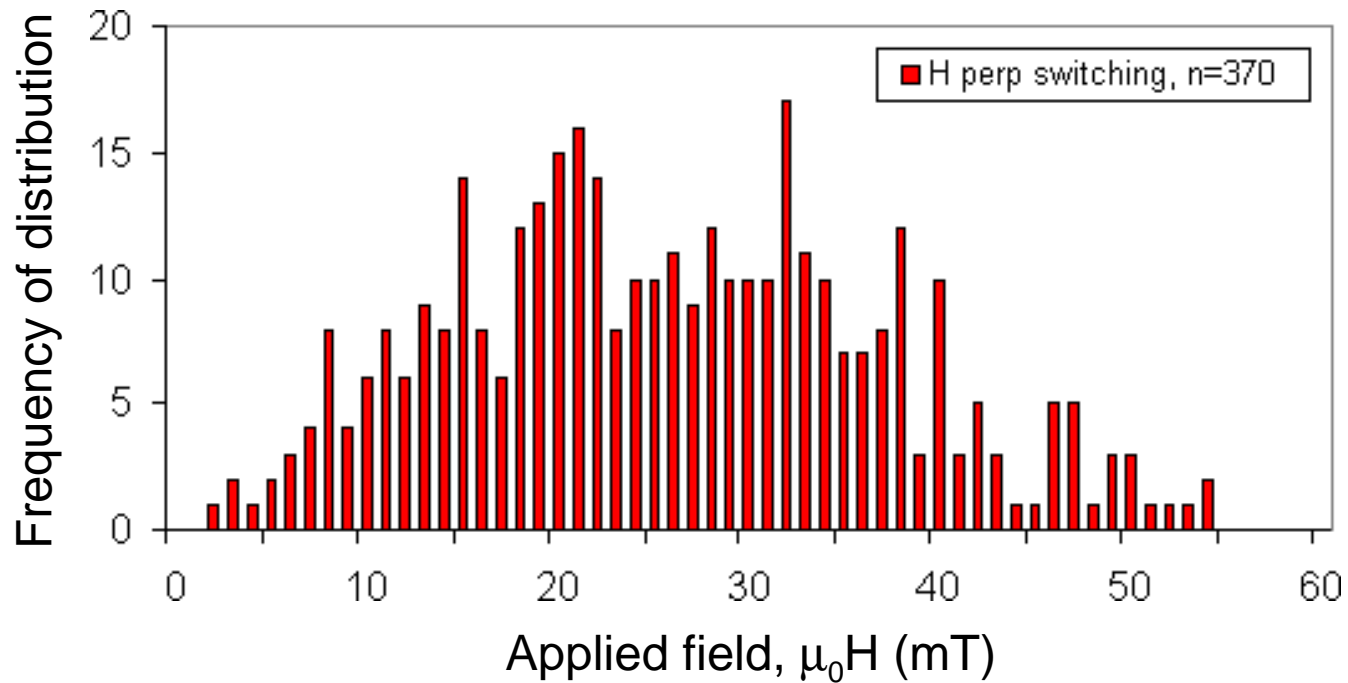
# Material parameters

- $M_s = 12.7 \text{ kA/m}$  ( $4\pi M_s = 160 \text{ G}$ )
- $H_u = 170 \text{ kA/m}$  (2100 Oe)
- $\sqrt{A/(0.5\mu_0 M_s^2)} = 170 \text{ nm}$
- $\sqrt{A/K} = 47 \text{ nm}$

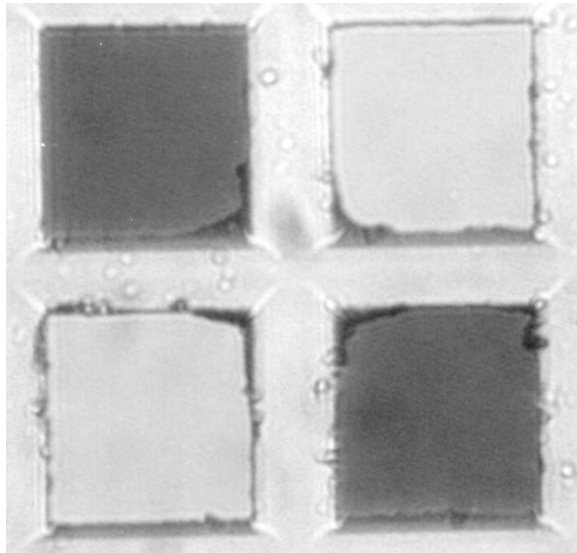
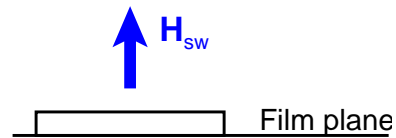
# Pixel magnetization curves



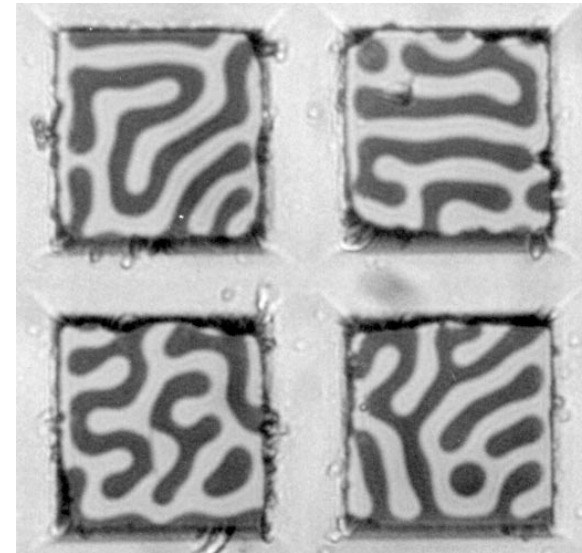
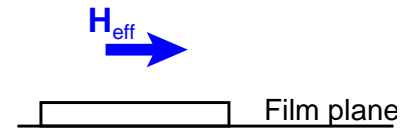
# Distribution: $H_{SW}$



# Magnetization states

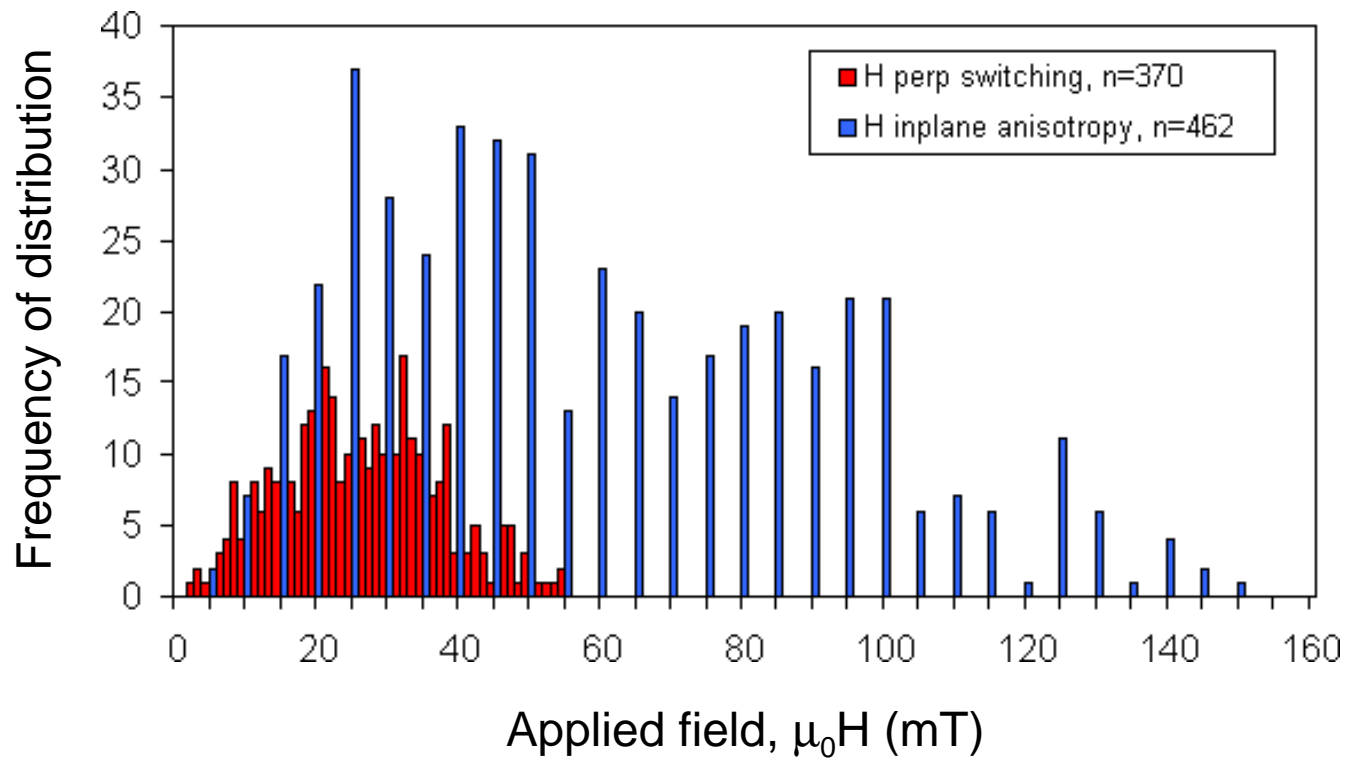


Stable



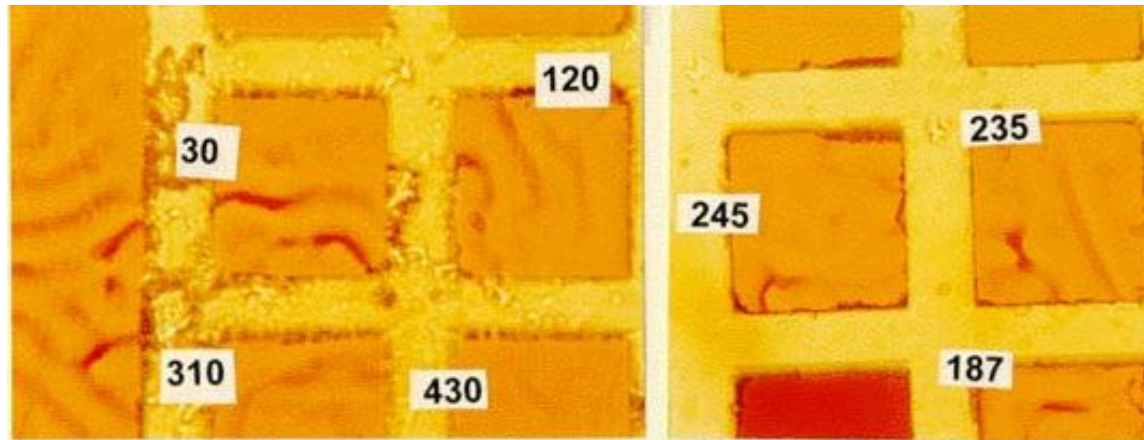
Metastable

# Distribution: $H_{\text{eff}}$



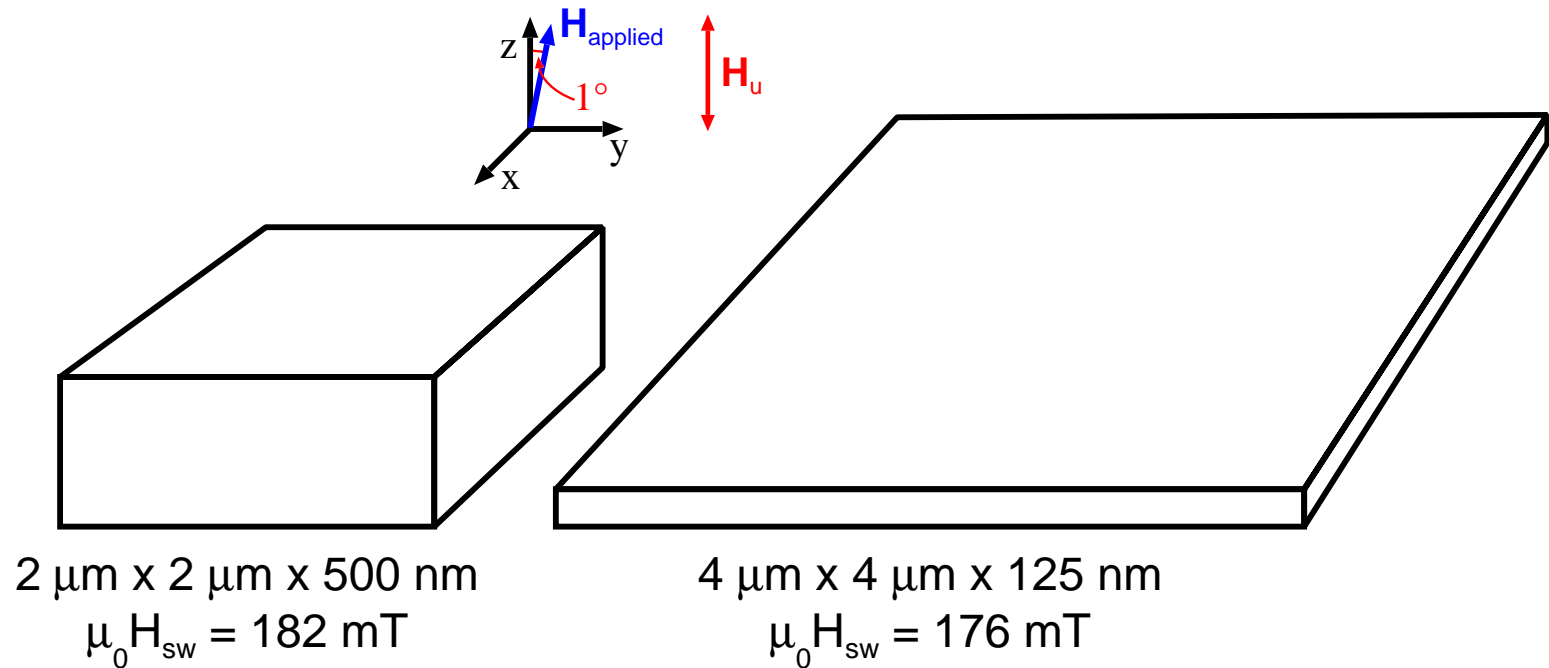


# Defects



Defects decorated by AC field  
Particles'  $H_{SW}$  marked, in Oe

# Micromagnetic model



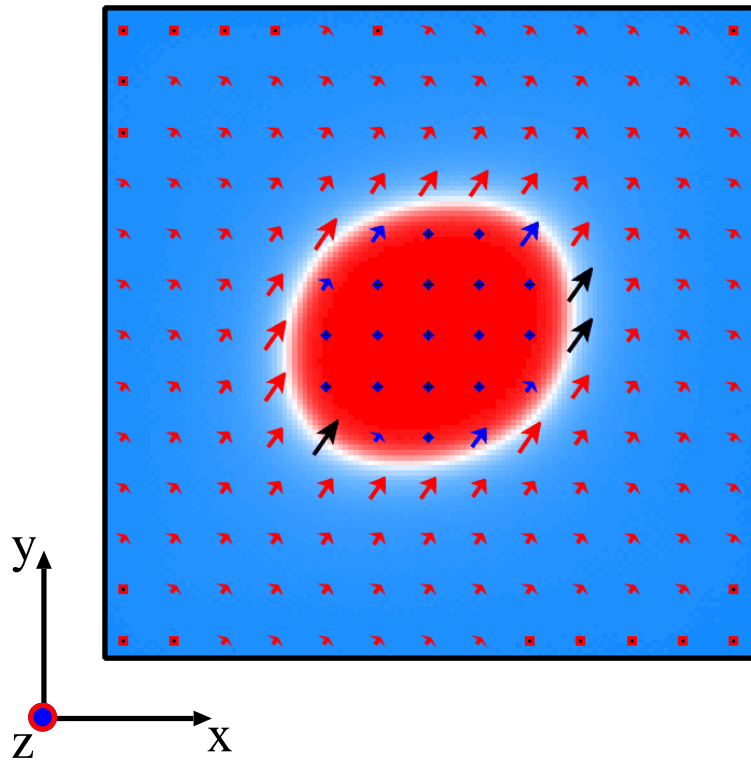
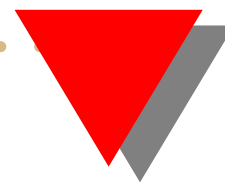
Discretization length  $\Delta = 15.625\ \text{nm}$

Stopping criteria:  $|\mathbf{M} \times \mathbf{H}| / M_s^2 < 0.008$

# Switching fields

Geometry (nm)	Stoner-Wohlfarth (mT)	Micromagnetic (mT)
1000 x 1000 x 31.25	177.7	[175,180]
4000 x 4000 x 125	177.7	[175,180]
8000 x 1000 x 250	179.9	[175,180]
1000 x 1000 x 250	183.5	[182,184]
2000 x 2000 x 500	183.5	[180,185]
2000 x 1000 x 1000	187.5	[180,185]

# Magnetization reversal

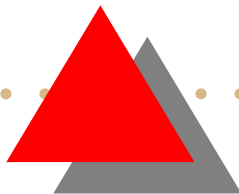


Transient state

Plate geometry

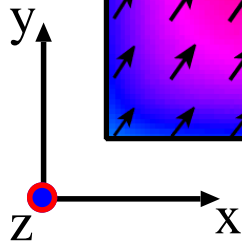
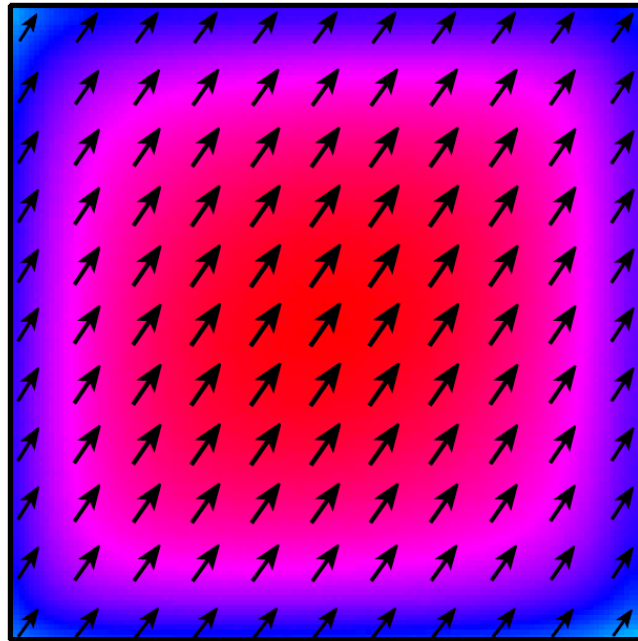
$4 \mu\text{m} \times 4 \mu\text{m} \times 125 \text{ nm}$

Reversal nucleates in center

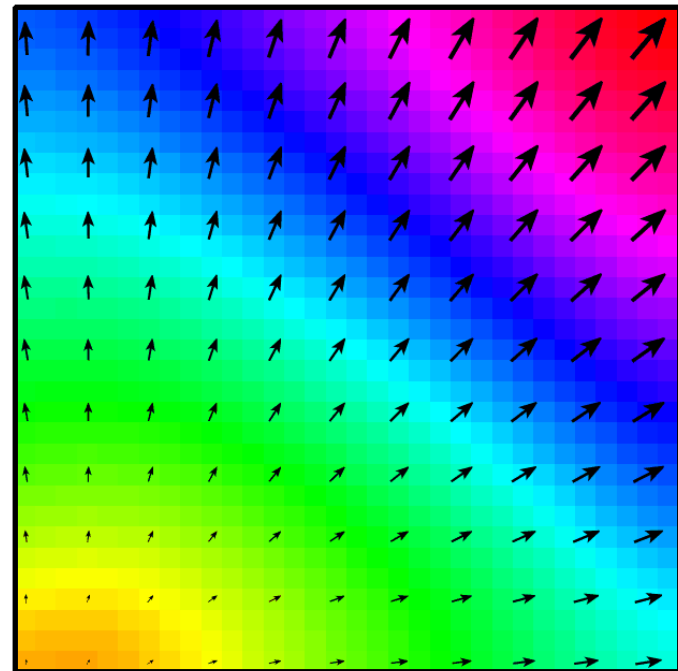


# Reversal torques

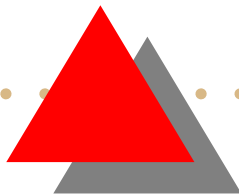
4000 x 4000 x 125 nm



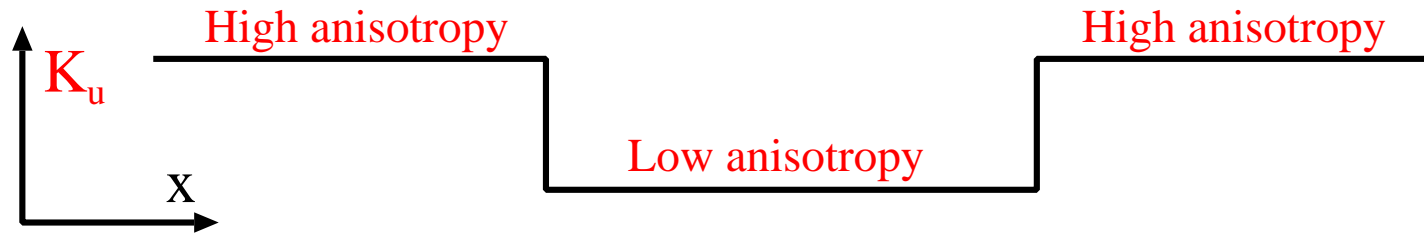
1000 x 1000 x 1000 nm



$m \times H \times m$  preceding reversal  
(top slice)



# Simple defect (1D)



$H_{\text{nucleate}}$



$H_{\text{propagate}}$



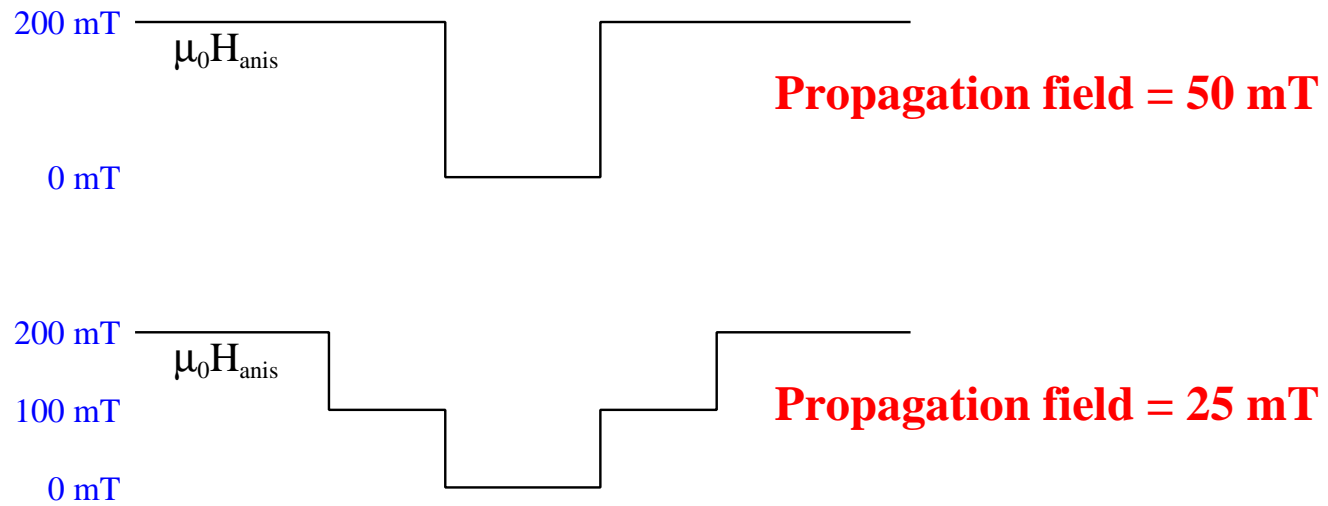
$$H_{\text{propagate}} = (H_{\text{u,bulk}} - H_{\text{u,defect}})/4$$

$$H_{\text{switch}} \geq H_{\text{u,bulk}}/5$$

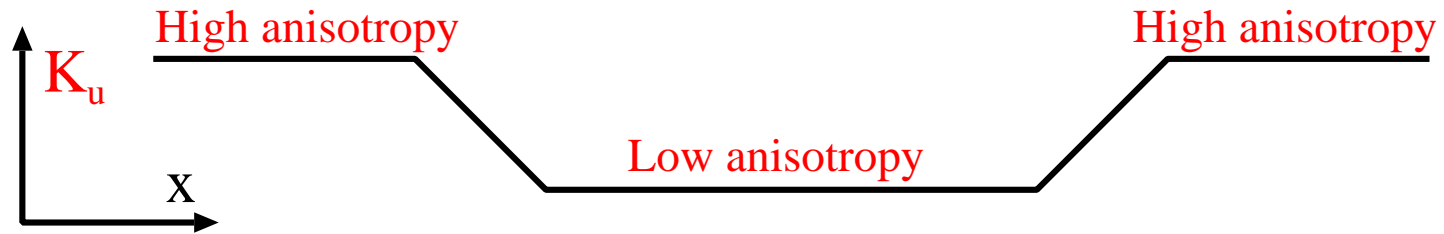
(Aharoni, 1960)

# Staircase defect

Anisotropy staircase lowers propagation field:



# Linear defect (1D)



$H_{\text{nucleate}}$



$H_{\text{propagate}}$



$$H_{\text{propagate}} \rightarrow 0 \quad \text{as} \quad \partial K_u / \partial x \rightarrow 0$$

(Abraham & Aharoni, 1960)





# Conclusions

## Experimental:

- $\mu_0 H_{\text{sw}} = 28.5 \text{ mT} \pm 8.5 \text{ mT} \ll \mu_0 H_{\text{u}} = 210 \text{ mT}$
- $H_{\text{eff}}$  distribution higher and broader than  $H_{\text{sw}}$

## Simulations:

- Reversal by nucleation + propagation
- Nucleation in center for defect-free plates
- Simple defect model yields  $H_{\text{sw}}$  too large
- Linear defect model OK for transitions  $> 1 \mu\text{m}$

