- Grandparent: 0. Numerical Evaluation of Special Functions[1]
- Parent: 5. Functions of Two or More Variables[2]
- Previous: 5.12. Struve and Anger-Weber Functions[3]
- Next: 5.14. Zeta Function (Generalized)[4]

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Press here[6] to get this subdocument in PostScript format.

NUMERICAL EVALUATION OF SPECIAL FUNCTIONS

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ABSTRACT. This document is an excerpt from the current hypertext version of an article that appeared in Walter Gautschi (ed.), *Mathematics of Computation 1943–1993: A Half-Century of Computational Mathematics*, Proceedings of Symposia in Applied Mathematics 48, American Mathematical Society, Providence, RI 02940, 1994. The symposium was held at the University of British Columbia August 9–13, 1993, in honor of the fiftieth anniversary of the journal *Mathematics of Computation*.

The original abstract follows.

Higher transcendental functions continue to play varied and important roles in investigations by engineers, mathematicians, scientists and statisticians. The purpose of this paper is to assist in locating useful approximations and software for the numerical generation of these functions, and to offer some suggestions for future developments in this field.

5.13. Weber Parabolic Cylinder Functions. See also confluent hypergeometric functions (§5.5).

5.13.1. *Real Arguments and Parameters.*

Software Packages: [**Tau92**, Fortran].

Intermediate Libraries: [**Bak92**].

5.13.2. *Articles.* [**LR74**], [MMV**81**], [**RL76**], [**SGA81**].

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[1] /nesf/Sect0/Sect0.html
[2] /nesf/Sect5/Sect5.html
[3] /nesf/Sect5-12/Sect5-12.html
[4] /nesf/Sect5-14/Sect5-14.html
[5] ftp://gams.nist.gov/pub/lozier/nesf/Paper.ps.Z
[6] ftp://gams.nist.gov/pub/lozier/nesf/Sect5-13.ps.Z

1991 *Mathematics Subject Classification.* Primary 65D20; Secondary 33-00.

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